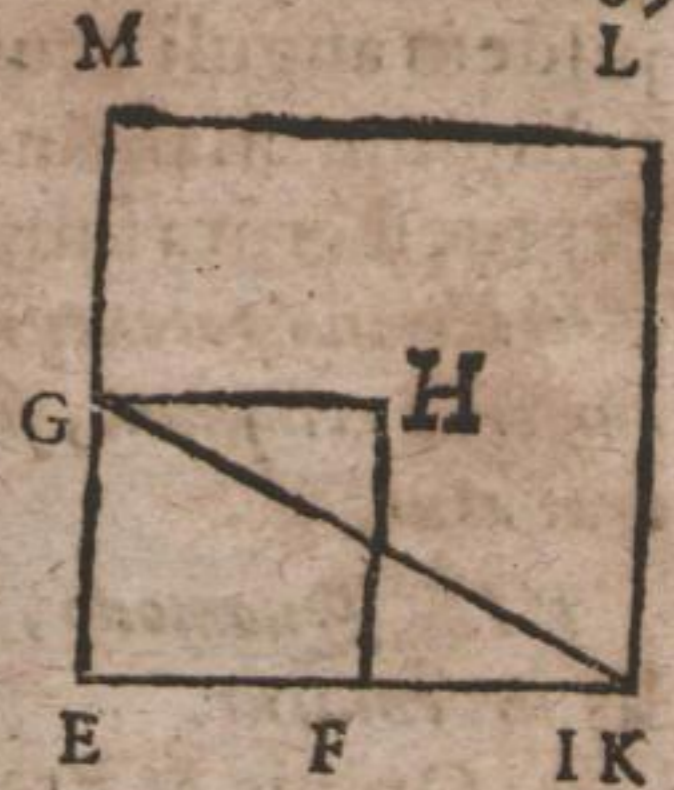
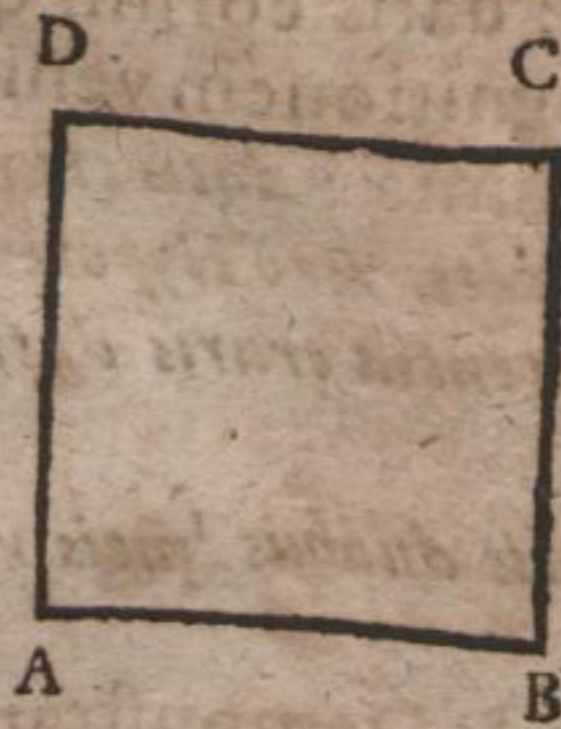


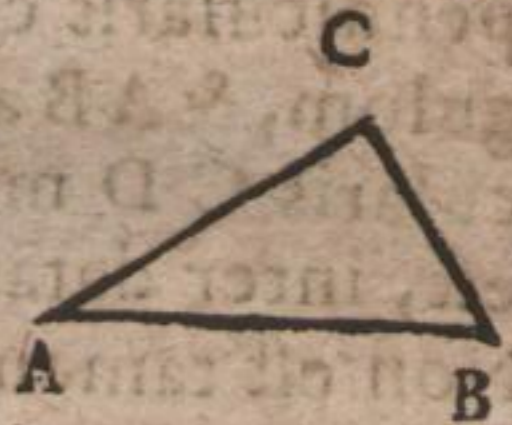
$GEI$ , per proximè antecessens Problema : sed quia & Gnomon adscriptus in quæstionem venit, paulò alia est ab eâ hæc operatio. Esto ergo minori quadrato  $GEFH$  adscribendum ijs conditionibus majus  $ABCD$ : con-



tinuetur minoris latus  $EF$  usq; ad  $I$ , ut  $EI$  æquetur lateri  $AB$  majoris, ducaturq; Hypotenusâ  $GI$ , quâ iterum in latus  $EF$  &  $EG$  transposita, ut ipsi  $GH$  &  $EK$  &  $EM$  æquantur, concludatur more solito  $EMLK$ , quod necessariò quadratum est ex ratione constructionis, quia scilicet super hypotenusâ  $GI$ , quæ &  $E$  &  $F$  &  $AB$  potest, constructum est : imo & Gnomon  $GMLKFH$   $G$ , si à quadrato illo  $EMLK$  abstrahatur, æquabitur necessariò quadrato majori  $ABCD$ .

*IV. Datis duabus lineis inæqualibus, quomodo inveniri debeat id, quod major plus potest, quam minor.*

Dantur lineæ  $AB$  major &  $AC$  minor : quæriturq; quanto plus possit  $AB$  quam  $AC$ . Describatur super lineam majorem  $AB$  per *Probl. V. Cap. VI. p. 33.* Triangulum Rectangulum inæquilaterum, sitq; crus majus ejus Trianguli æquale lineæ minori datæ  $AC$  : erit ergò  $BC$  crus minus id quod quærebatur, hoc est, lineæ  $BC$  potentiâ deficit potentia lineæ  $AC$  à potentiâ lineæ  $AB$ . Cum enim Triangulum sit Rectangulum ad  $C$ , poterit utiq;  $AB$  latera  $AC$  &  $BC$  simul sumta.



*V. Quomodo, cognitis duobus lateribus quibuscunq; Trianguli Rectanguli, latus reliquum inveniri possit.*

In proximè priori Schemate, cum Triangulum sit Rectangulum, &  $AB$  hypotenusâ Anguli Recti, reliqua verò latera e-

M

jufdem